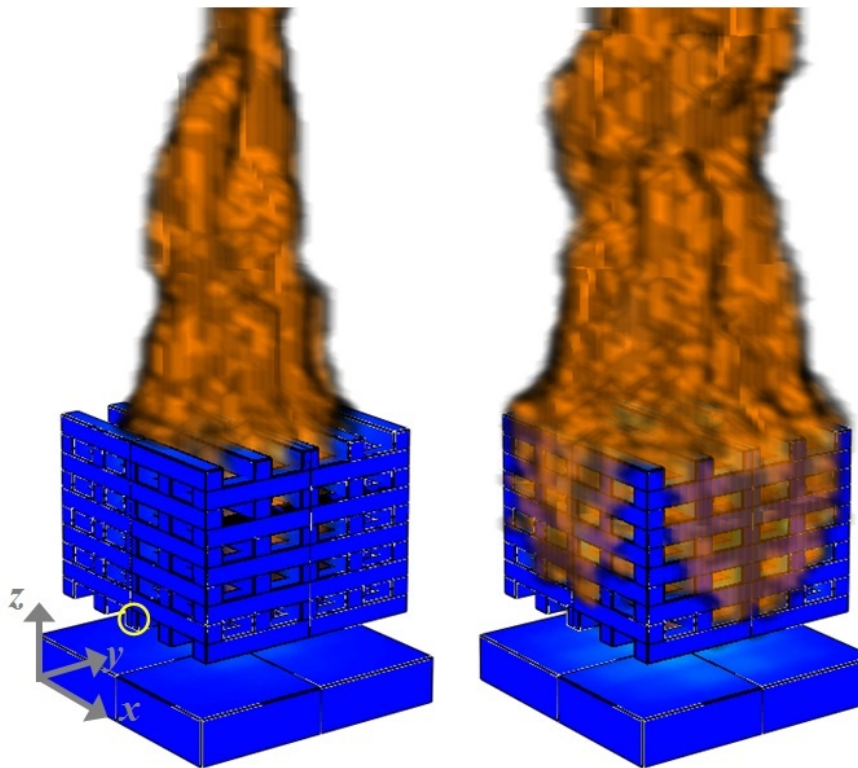


# Gpyro: A Three Dimensional Generalized Pyrolysis Model



Measurement and Computation of Fire Phenomena IAFSS Workshop

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# Gpyro

- Open source pyrolysis model
  - <http://reaxengineering.com/trac/gpyro>
- Solves 0D/1D/2D/3D conservation equations inside pyrolyzing solid for
  - Gas and solid mass, species, and energy
  - Gas momentum (Darcy's law)
- Philosophy: user specifies desired level of complexity
  - Reaction mechanism
  - Anisotropic thermal and transport properties
  - Physics
  - Geometry & boundary conditions

# Some Background Publications

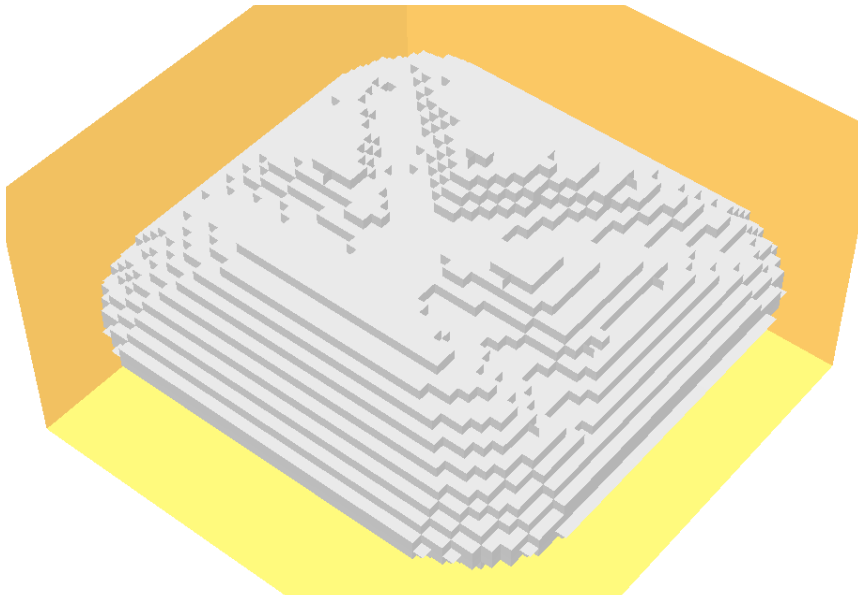
- Lautenberger, C. & Fernandez-Pello, A.C., “Generalized Pyrolysis Model for Combustible Solids,” *Fire Safety Journal* **44** 819-839 (2009).
- Lautenberger, C. & Fernandez-Pello, A.C., “A Model for the Oxidative Pyrolysis of Wood,” *Combustion and Flame* **156** 1503-1513 (2009).
- Dodd, A.B., Lautenberger, C., & Fernandez-Pello, A.C., “Computational Modeling of Smolder Combustion and Spontaneous Transition to Flaming,” *Combustion and Flame* **159** 448–461 (2012).
- Lautenberger, C., “Gpyro3D: A Three Dimensional Generalized Pyrolysis Model,” *Fire Safety Science* **11**: 193-207 (2014).

# Gpyro Development History

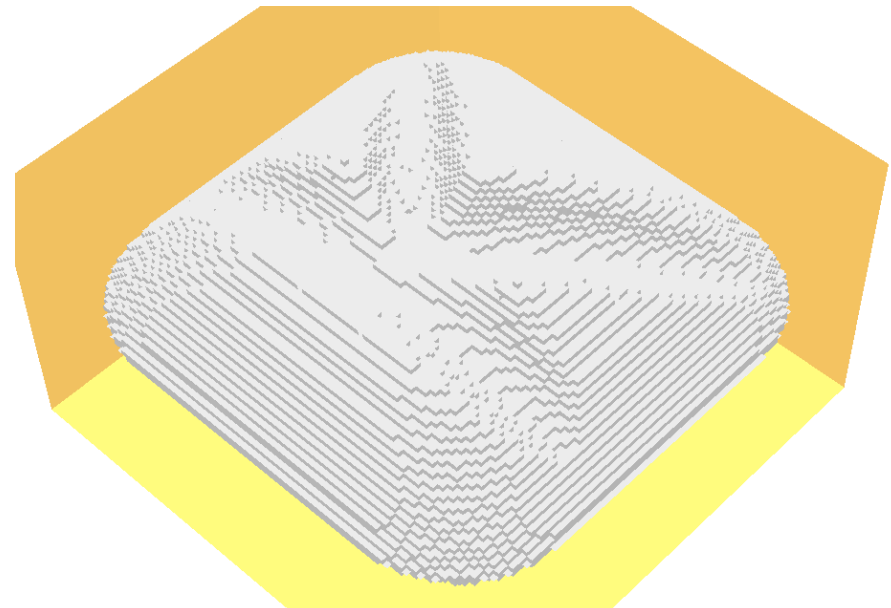
- 2004-2007: Initial development under NASA GSRP; basic 0D/1D formulation + GA optimization
- 2008-2010: Continued development (NSF); Extension to 2D, improved pressure solver & transport
- 2011: Initial 3D solver development (DOE)
- 2011-current: Generalized 3D formulation, IC's, BC's. FDS coupling, parallelization, improved solvers
- 2015-current: Coupling to ABAQUS for predicting stress development during manufacturing of polymer infiltration and pyrolysis based ceramic matrix composites

# Complex Geometry

- Geometry specified as rectilinear obstructions
  - Charcoal briquette example



1.0 mm resolution



0.5 mm resolution

# Complex Geometry

- PyroSim GUI used to import 3D geometries in .stl (Stereolithography) format and write obstructions in fortran namelist group format for parsing by Gpyro:

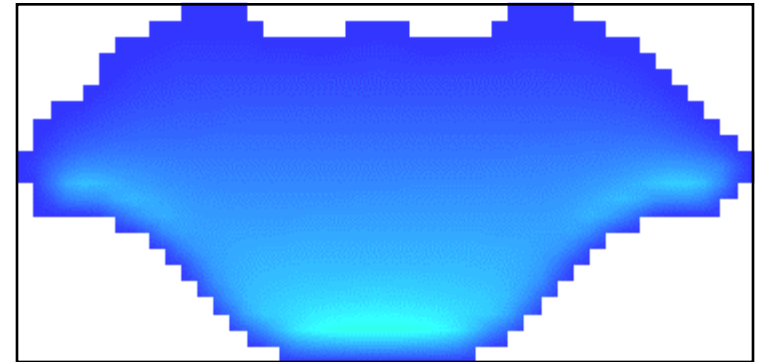
```
&OBST XB= -0.074, -0.072, -0.064, -0.062, 0.010, 0.014 /  
&OBST XB= -0.074, -0.072, -0.062, -0.060, 0.010, 0.014 /  
&OBST XB= -0.074, -0.072, -0.060, -0.058, 0.010, 0.014 /  
&OBST XB= -0.074, -0.072, -0.058, -0.056, 0.008, 0.016 /
```

# Postprocessing

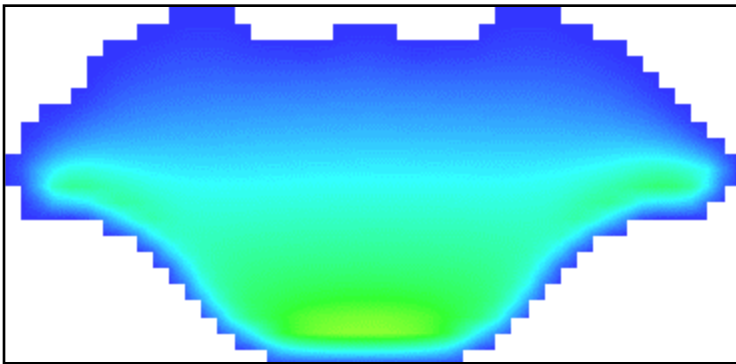
- NIST Smokeview for post-processing/visualization



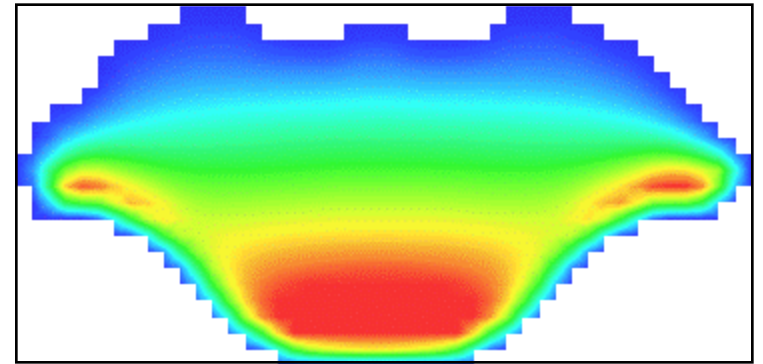
10 s



20 s



30 s

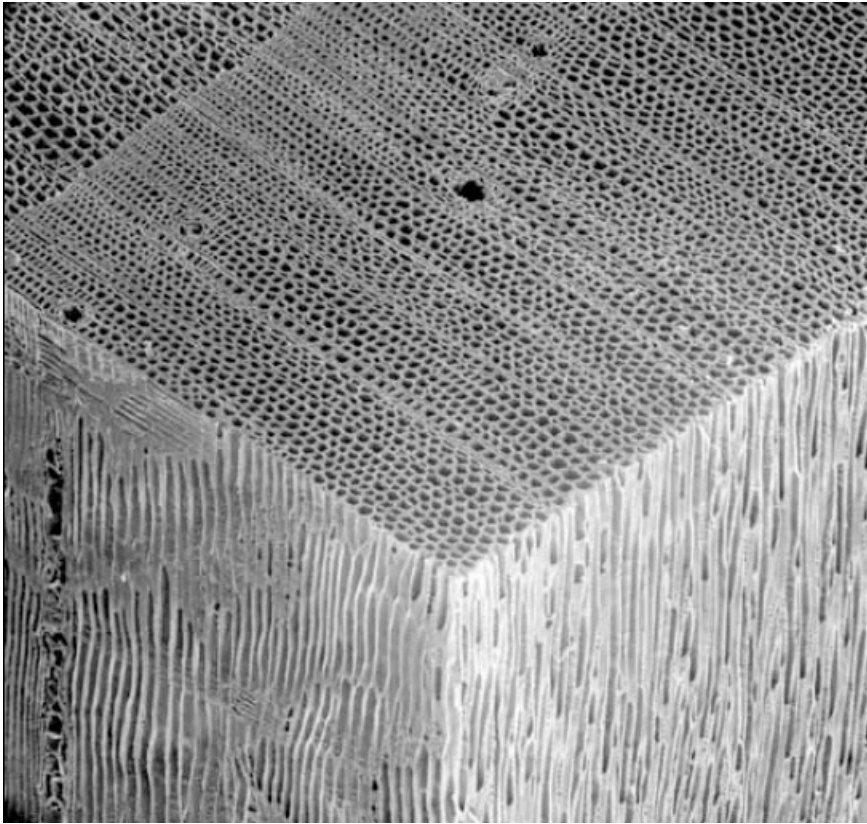


40 s

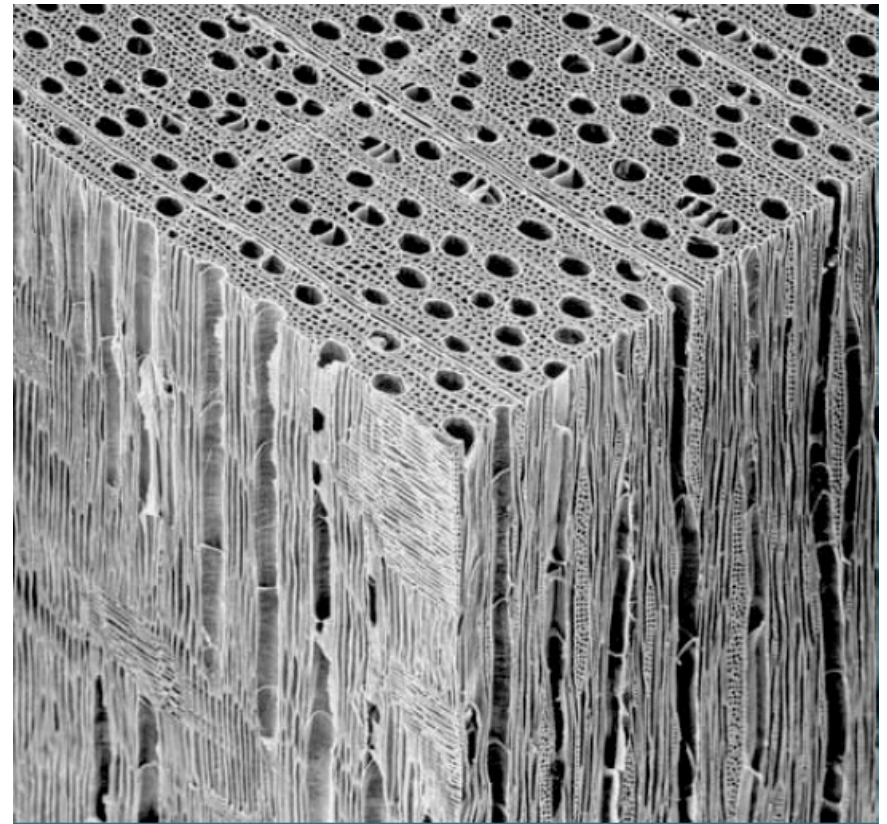
Pressure evolution in heated particle

# Anisotropic Microstructure

- Gpyro's 3D formulation developed with anisotropic materials in mind



**White spruce (softwood)**



**Red maple (hardwood)**



# Thermal & Transport Properties

- Anisotropic permeability and thermal conductivity
- User can specify for each solid species  $i$ :
  - $k_{x,i}(T), k_{y,i}(T), k_{z,i}(T)$
  - $K_{x,i}, K_{y,i}, K_{z,i}$  (no  $T$  dependency)
- Temperature variations in  $k, \rho$ , and  $c$  modeled as:

$$\phi(T) = \phi_0 \left( \frac{T}{T_r} \right)^{n_\phi}$$

- Weighted properties used in conservation equations:

$$\bar{k}_x = \sum X_i k_{x,i}$$

# Kinetics & Reactions

- Reaction stoichiometry is general and user-specifiable
- Solid-phase pyrolysis reactions convert one solid phase species to another (e.g., wood to char) and generate one or more gaseous species (tar, gas, etc.)
- Gases in pore space can react
  - Homogeneously with other gaseous species
  - Heterogeneously with condensed phase species

# Condensed-Phase Kinetic Models

- Currently 9 different kinetic models implemented:

**Kinetic models -  $f(x)$ :**

$i_{\text{kinetic model}}$	$f(x)$	Description
0	$(1-x)^n$	Default - $n^{\text{th}}$ order
1	$(1/n) (1-x) (-\ln(1-x))^{1-n}$	Nucleation and nucleus growing
2	$(1-x)^n$	Phase boundary reaction
3	$(1/2)$	Diffusion – plane symmetry
4	$(-\ln(1-x))^{-1}$	Diffusion- cylindrical symmetry
5	$(3/2) ((1-x)^{-1/3} - 1)^{-1}$	Diffusion – spherical symmetry
6	$(3/2) (1-x)^{-1/3} - 1$	Diffusion – Jander's type
7	$(1/n) x^{1-n}$	Potential law
8	$(1/n) (1-x)^{1-n}$	Reaction order
9	$(1-x)^n (1 + K_{\text{cat}} x)^{-1}$	Catalytic

# Mass and Species Conservation

Solid mass	$\frac{\partial \bar{\rho}}{\partial t} = -\dot{\omega}_{fg}'''$
Gas mass	$\frac{\partial(\rho_g \bar{\psi})}{\partial t} + \frac{\partial \dot{m}_x''}{\partial x} + \frac{\partial \dot{m}_y''}{\partial y} + \frac{\partial \dot{m}_z''}{\partial z} = \dot{\omega}_{fg}'''$
Solid species	$\frac{\partial(\bar{\rho} Y_i)}{\partial t} = \dot{\omega}_{fi}''' - \dot{\omega}_{di}'''$
Gas species	$\frac{\partial(\rho_g \bar{\psi} Y_j)}{\partial t} + \frac{\partial(\dot{m}_x'' Y_j)}{\partial x} + \frac{\partial(\dot{m}_y'' Y_j)}{\partial y} + \frac{\partial(\dot{m}_z'' Y_j)}{\partial z} = -\frac{\partial j_{j,x}''}{\partial x} - \frac{\partial j_{j,y}''}{\partial y} - \frac{\partial j_{j,z}''}{\partial z} + \dot{\omega}_{fj}''' - \dot{\omega}_{dj}'''$

# Energy and Momentum Conservation

<p>Solid energy</p>	$\frac{\partial(\bar{\rho}h)}{\partial t} + \frac{\partial(\dot{m}_x'' h_g)}{\partial x} + \frac{\partial(\dot{m}_y'' h_g)}{\partial y} + \frac{\partial(\dot{m}_z'' h_g)}{\partial z} = -\frac{\partial \dot{q}_x''}{\partial x} - \frac{\partial \dot{q}_y''}{\partial y} - \frac{\partial \dot{q}_z''}{\partial z} + \dot{Q}_s''' + \sum_{i=1}^M (\dot{\omega}_{fi}''' - \dot{\omega}_{di}''') h_i$
<p>Gas energy</p>	<p><math>T_g = T</math> (can also explicitly solve gas energy)</p>
<p>Solid mom.</p>	<p>N/A (no movement/shrinkage of solid phase in 3D)</p>
<p>Gas mom.</p>	<p>Solved as pressure evolution equation derived from mass conservation, Darcy's law, and ideal gas law</p>

# Numerical Solution (Patankar)

$$a_p \phi_P = a_E \phi_E + a_W \phi_W + a_S \phi_S + a_N \phi_N + a_T \phi_T + a_B \phi_B + b_P$$

$$a_E = \frac{(\bar{k}_x / \bar{c})_e}{(\delta x)_e} \Delta y \Delta z \quad a_N = \frac{(\bar{k}_y / \bar{c})_n}{(\delta y)_n} \Delta x \Delta z \quad a_T = \frac{(\bar{k}_z / \bar{c})_t}{(\delta z)_t} \Delta x \Delta y$$

$$a_W = \frac{(\bar{k}_x / \bar{c})_w}{(\delta x)_w} \Delta y \Delta z \quad a_S = \frac{(\bar{k}_y / \bar{c})_s}{(\delta y)_s} \Delta x \Delta z \quad a_B = \frac{(\bar{k}_z / \bar{c})_b}{(\delta z)_b} \Delta x \Delta y$$

$$b_P = a_P^\circ h_P^\circ + \dot{S}_P''' \Delta x \Delta y \Delta z$$

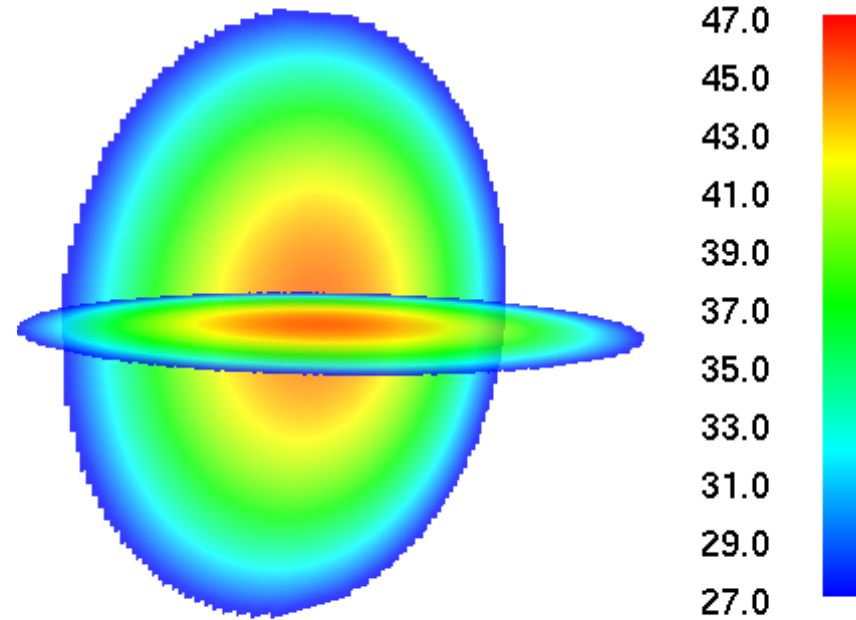
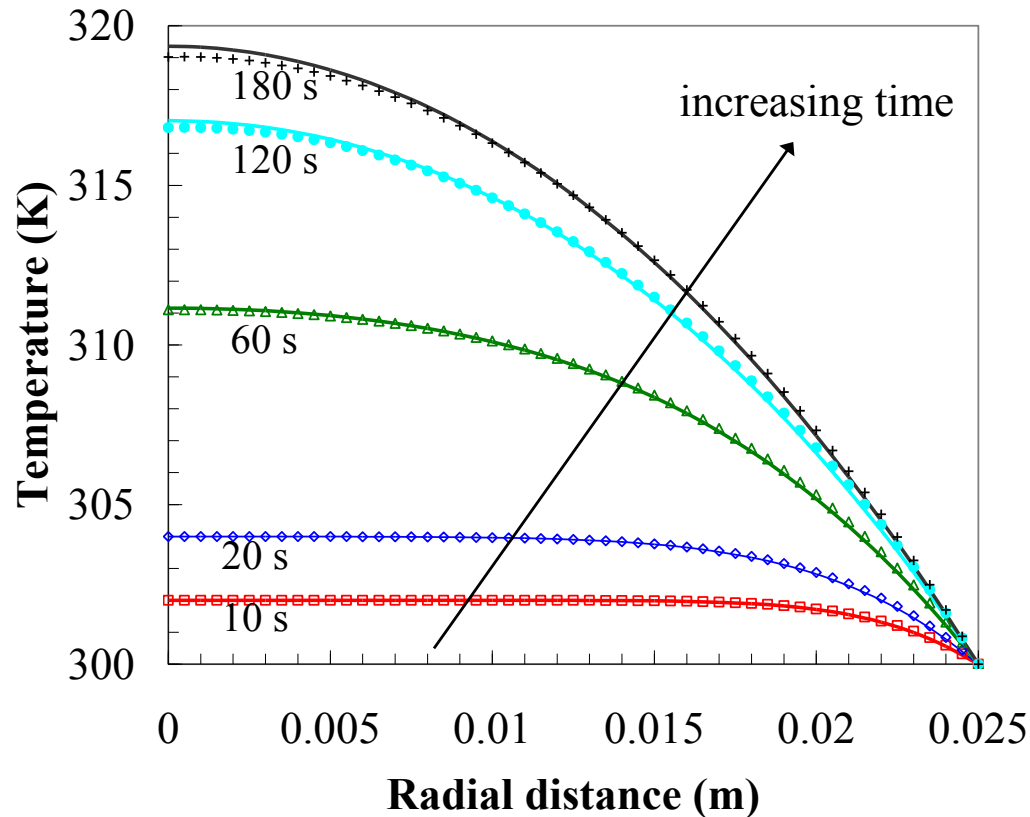
$$\dot{S}_P''' = \dot{Q}_s''' + \sum_{i=1}^M (\dot{\omega}_{fi}''' - \dot{\omega}_{di}''') h_i - \frac{\partial(\dot{m}_x'' h_g)}{\partial x} - \frac{\partial(\dot{m}_y'' h_g)}{\partial y} - \frac{\partial(\dot{m}_z'' h_g)}{\partial z}$$

$$a_p = a_E + a_W + a_S + a_N + a_T + a_B + a_P^\circ \quad a_P^\circ = \bar{\rho}_P^\circ \frac{\Delta x \Delta y \Delta z}{\Delta t}$$

# Numerical Solution Methodology

- Fully implicit formulation
  - Multiple iterations per timestep
- Relaxation to prevent solution divergence
- Special treatment of reaction source terms to ensure non-negative mass fractions
- Line by line TDMA solver
  - TDMA in one direction, Gauss Seidel iteration in other 2
  - TDMA direction alternated between iterations
- Convergence determined from user-specified residuals

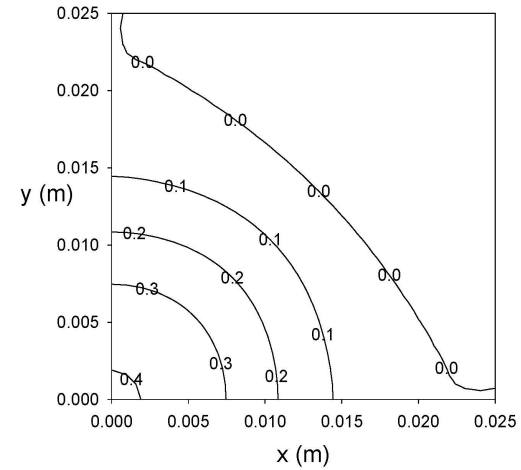
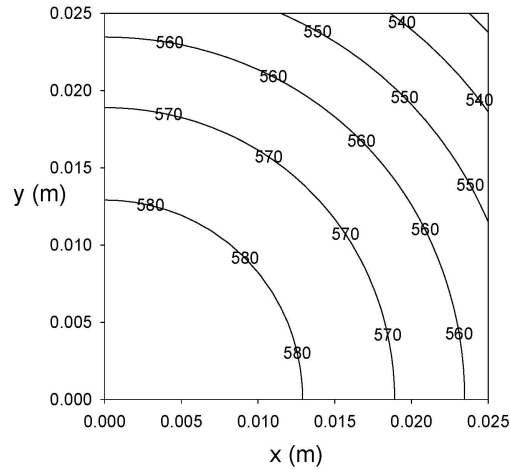
# Verification – “Cartesian Sphere” with Internal Heat Generation



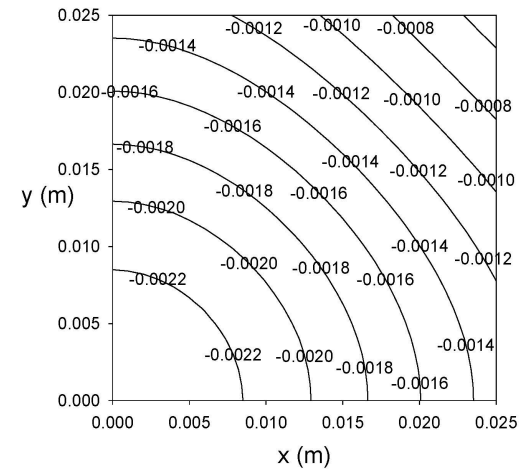
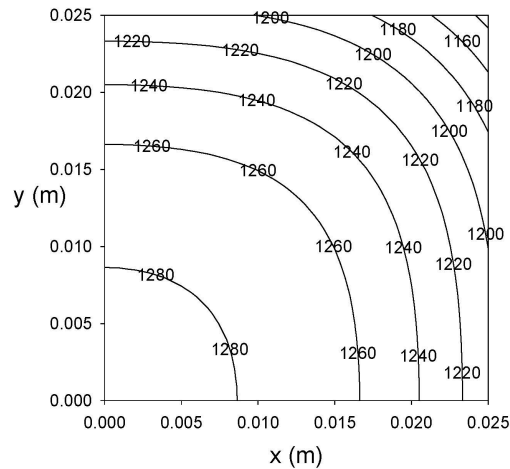


# Verification – Heat Conduction in 3D Parallelepiped

$t = 60 \text{ s}$



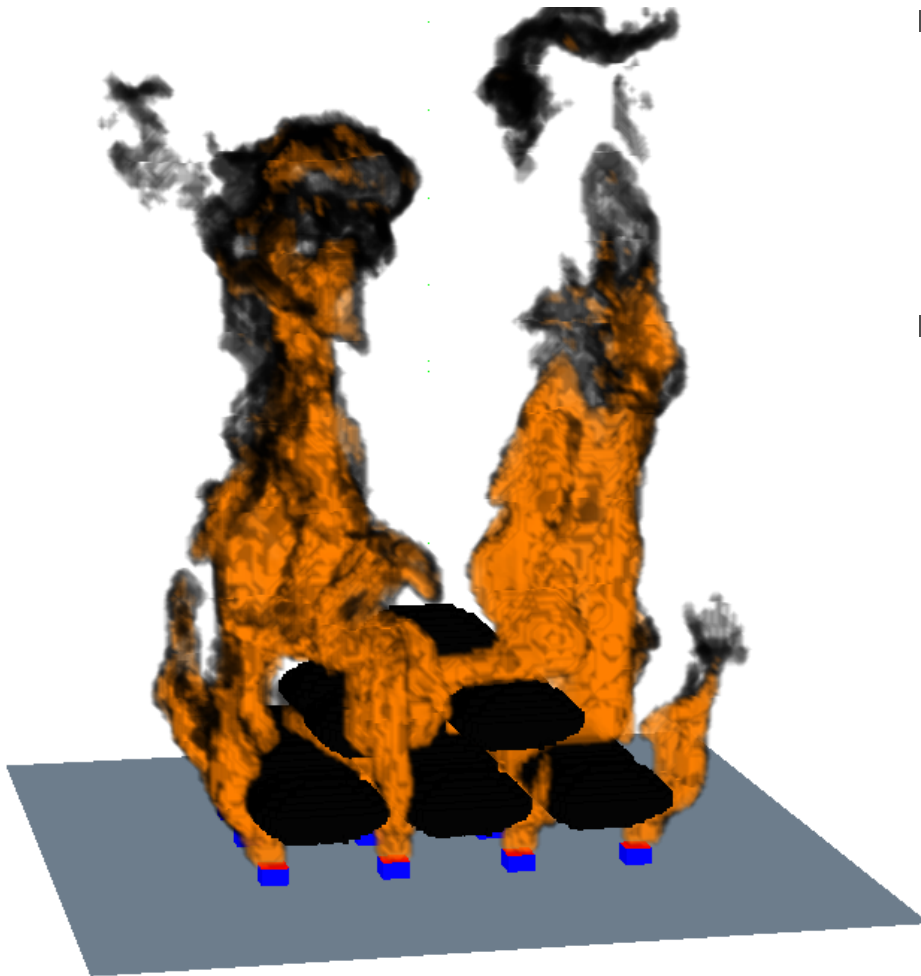
$t = 1200 \text{ s}$



Solution

% Error

# Gpyro Coupling to FDS



- Fully coupled to Fire Dynamics Simulator
  
- Limitations
  - Geometry is static – no shrinkage
  - Objects can't “burn away”



# Input File Structure

- Fortran namelist-group based inputs

```
&GPYRO_RXNS
NRXNS      = 10,
CFROM(1)   = 'cellulose',
CTO(1)     = 'active_cellulose',
Z(1)       = 2.8E+19,
E(1)       = 242.4 ...
```

- Can be generated with Excel-based front end or edited manually with a text editor

# Outputs

- Three primary types of output
  - Point dumps: Write specific quantity at particular  $x,y,z$  location to .csv file as function of time
  - Profile dumps: Dumps a quantity in one the profile direction, *e.g.*  $T(z)$  at fixed  $x,y$  as function of time
  - Slice dumps: Dump quantity in a plane to binary file format that can be post-processed in NIST's Smokeview
  
- Can also dump integrated quantities
  - Total mass, total mass loss, instantaneous mass loss rate, etc.

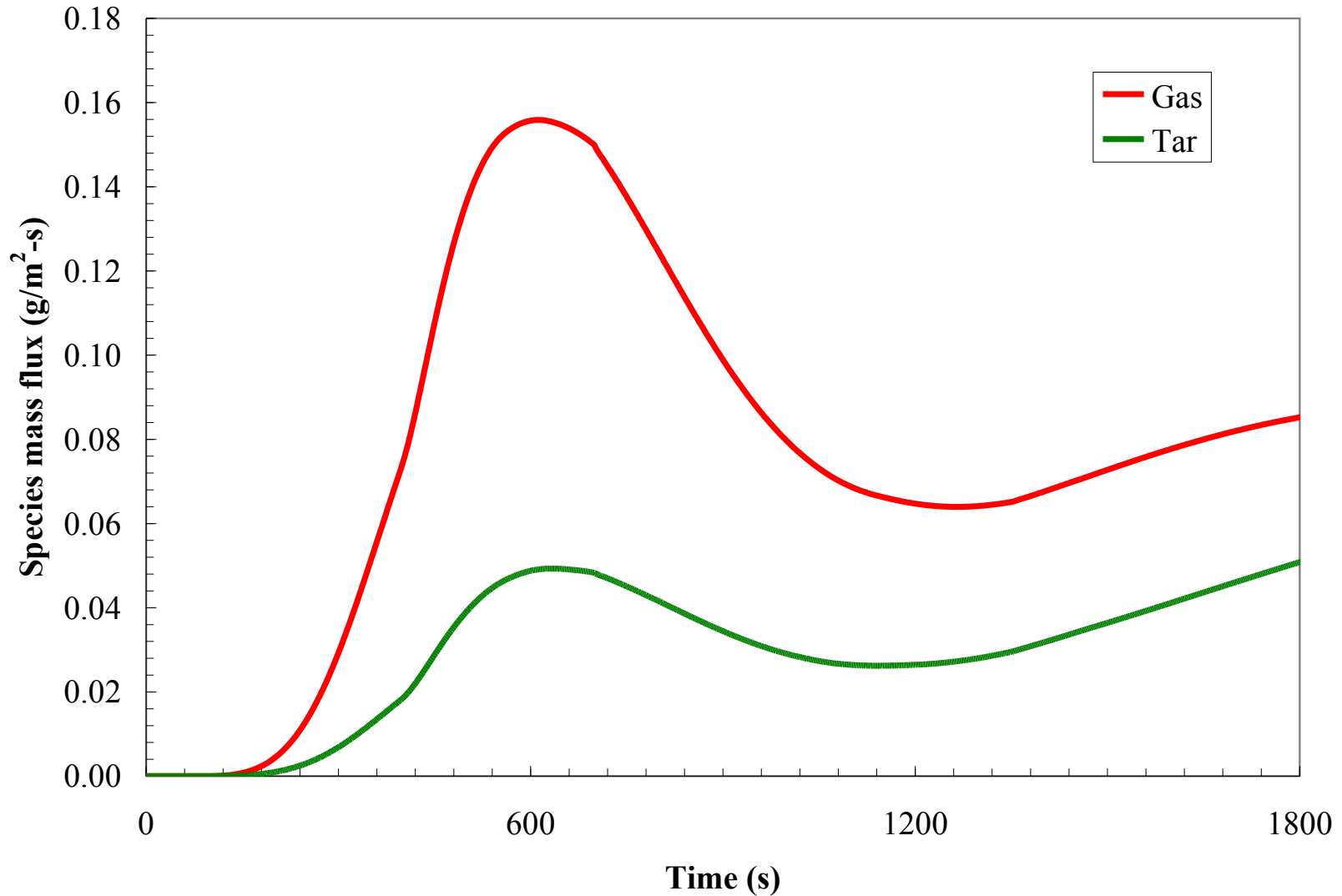
# Current Limitations

- Particle shrinkage / swelling not accounted for in 2D/3D formulation (only in 1D)
- No submodel for liquid transport
- Underlying grid is Cartesian so curved surfaces have to be approximated by “stair stepping”
- FDS geometry is static
- Basic error checking in place but spurious inputs can lead to segmentation fault with no error message
- Documentation lags current code

# Example – 1D Wood Pyrolysis

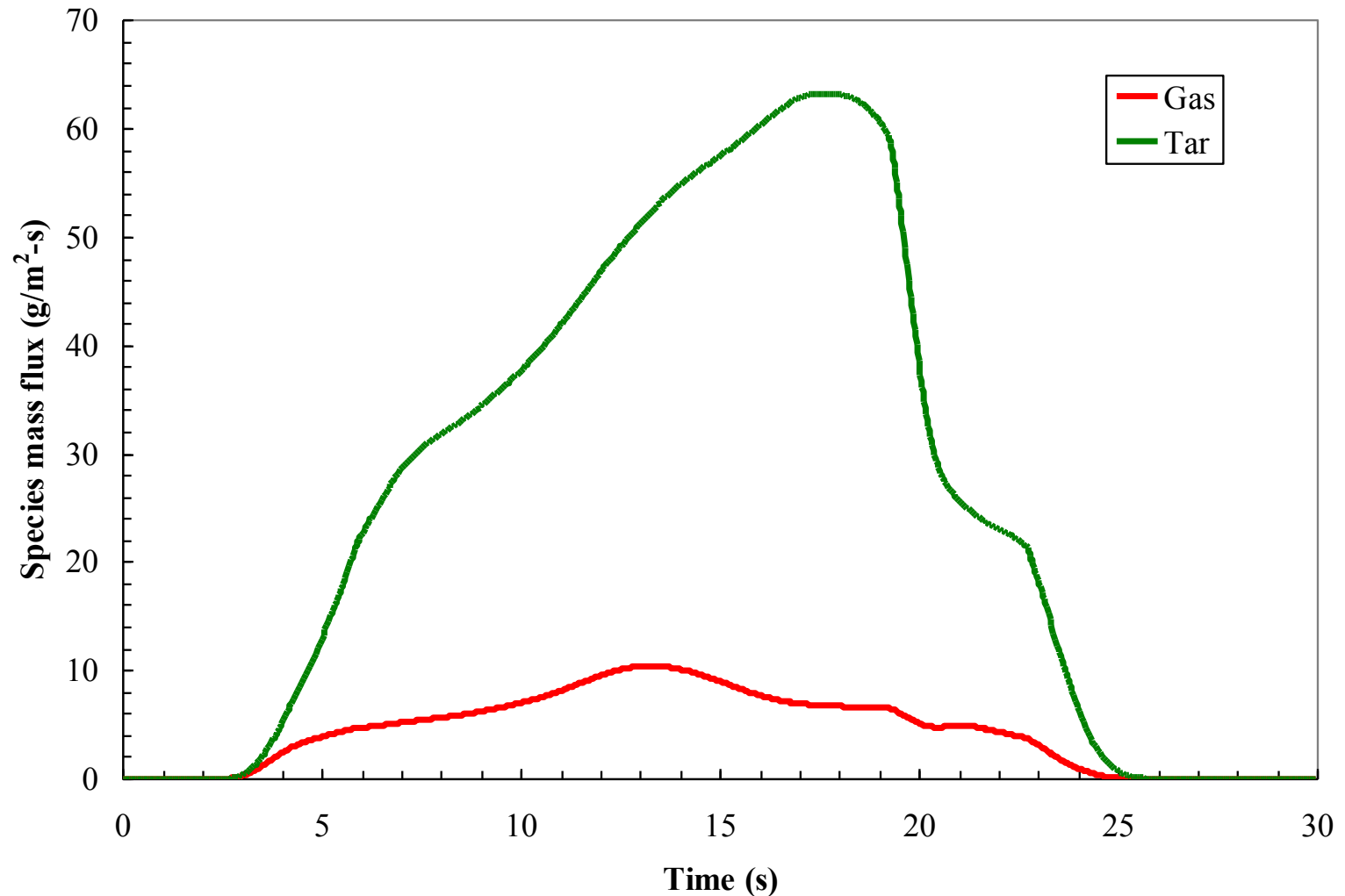
- Representative softwood thermal properties
- 3 mm particle heated on both faces
- Miller and Beland 9-step reaction mechanism
  - Cellulose, hemicellulose, lignin
- Demonstrate variable gas/tar yields with heating rate
  - Slow pyrolysis:  $9 \text{ kW/m}^2$
  - “Fast” pyrolysis:  $75 \text{ kW/m}^2$

# Example – 1D Wood Pyrolysis – Slow





# Example – 1D Wood Pyrolysis – “Fast”



# Questions?



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